

Workshop: Analytic enumeration methods in combinatorics, probability and number theory

Graz University of Technology, Austria
May 27 - May 28, 2010

Thursday, May 27

Morning session

Lecture hall HS E3.1, Petersgasse 12

$10^{10} - 10^{50}$	Jozef Beck (Rutgers) <i>Counting lattice points in long, narrow, tilted hyperbola segments, and the connection with Pell's equation (1)</i>
$10^{50} - 11^{20}$	Coffee break
$11^{20} - 12^{00}$	Steven Lalley (Chicago) <i>Probabilistic techniques in counting problems (1)</i>
$12^{10} - 12^{30}$	Philippe Nadeau (Vienna) <i>Combinatorics of Fully Packed Loop configurations</i>

Afternoon session

Lecture hall HS E3.1, Petersgasse 12

$14^{20} - 15^{00}$	Michael Drmota (Vienna) <i>The degree distribution of random planar graphs (1)</i>
$15^{10} - 15^{30}$	Fabian Schwarzenberger (Chemnitz) <i>Limits of eigenvalue counting functions on long-range percolation graphs</i>
$15^{30} - 16^{00}$	Coffee break
$16^{00} - 16^{40}$	Stephan Wagner (Stellenbosch) <i>Saddle point methods in the analysis of partition statistics (1)</i>
$16^{50} - 17^{10}$	Manfred Madritsch (Graz) <i>Distributional properties of digits in number systems</i>
$17^{20} - 17^{40}$	Veronica Kraus (Vienna) <i>Asymptotics on Subcritical Graph Classes</i>

Friday, May 28

Morning session

Lecture hall **HS E3.1**, Petersgasse 12

$9^{30} - 10^{10}$	Steven Lalley (Chicago) <i>Probabilistic techniques in counting problems (2)</i>
$10^{20} - 10^{40}$	Martin Tauterhahn (Chemnitz) <i>Localization criteria for Anderson models on locally finite graphs</i>
$10^{40} - 11^{20}$	Coffee break
$11^{20} - 12^{00}$	Stephan Wagner (Stellenbosch) <i>Saddle point methods in the analysis of partition statistics (2)</i>
$12^{10} - 12^{30}$	Lorenz Gilch (Graz) <i>Asymptotic Entropy of Random Walks on Free Products</i>

Afternoon session

Lecture hall **HS BE01**, Steyrergasse 30

$14^{00} - 14^{40}$	Michael Drmota (Vienna) <i>The degree distribution of random planar graphs (2)</i>
$15^{00} - 15^{40}$	Jozef Beck (Rutgers) <i>Counting lattice points in long, narrow, tilted hyperbola segments, and the connection with Pell's equation (2)</i>